Two Kinds of Truth in Expressivism

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Overview

Creeping Minimalism
A Way Out

Semantic Tools

Biforcated Semantics
Possible Worlds Semantics

- Metaphysical anti-realism:
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 - ▶ There aren't any moral properties.
 - Most of the moral assertions people make are not, strictly speaking, true.
- Semantic anti-realism:
 - Moral "assertions" do not make truth-evaluable claims; rather, they express desire-like attitudes.
- Anti-eliminativism:
 - Our use of moral language is largely acceptable as it is.

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- According to anti-eliminativism, this practice is acceptable as it is.
- According to semantic anti-realism, the premises and conclusions of arguments are about morality not truth-evaluable.
- But validity is truth-preservation.
- ► How can there be a valid arguments whose premises do not admit of truth or falsity?



A problem with embedding in truth functional contexts.

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- "And" is a truth function.
- According to semantic anti-realism, "murder is wrong" is not truth-evaluable.
- ▶ How can a sentence that is not truth-evaluable be meaningfully embedded in a truth-functional sentence?



A problem with embedding in non-truth-functional contexts.

▶ We use sentences like "Even if we had approved of murder, it still would have been wrong", "I wish murder were not wrong", and "John believes that murder is wrong".

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- ► How can the expressivist develop an adequate theory of these sentences?



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(And maybe the definitions of truth-functional connectives.)

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Minimalist Creep

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Minimalism calls the expressivist's metaphysical anti-realism into question!

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 - I recommend this option for expressivists.

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- ► Has to do with some sort of matching between representations and the world.
- Involves direction of fit.

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- So, we might say that my belief, desire, intention, and so forth are relations to the same content, whose truth value is settled by the world.
- This content can be correspondence-true or correspondence-false.



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Every minimalist truth-value gap is contained in a correspondence truth-value gap.

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- The contents within the scope of the pai operator admit of correspondence truth.
- ► The contents within the scope of the pai operator admit of minimalist truth (in the following extended sense): you accept p as minimalist-true iff you are FOR(pai(p)).

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- ▶ We might expect centered propositions to be closely related to action (Perry's shopping cart example).

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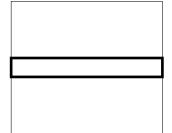
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Centered Worlds

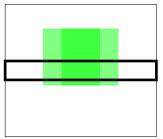
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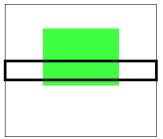
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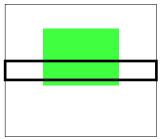
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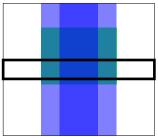
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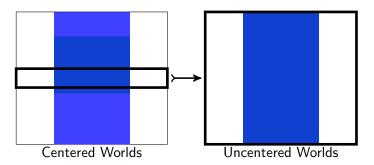
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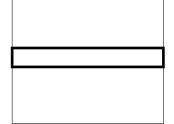
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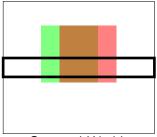
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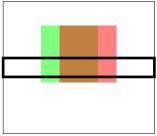
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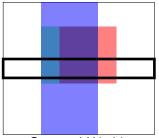
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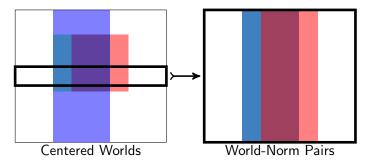
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- ▶ Sets of worlds admit of correspondence truth.

What Are Norms?

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- We can think of "wrong" and "permissible" as modal operators.
- Φing is permissible if it happens in some deontically accessible centered world, and wrong if it happens in no deontically accessible centered world.

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Worries about deontic modals:

- ▶ If it's permissible to feed the poor, is it permissible that someone be poor?
- What is it for someone's character to be virtuous?



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- One way around these problems is to develop more logical machinery.
- ▶ Another is to be slightly revisionist, and say that some things make less sense than we thought.
- ▶ Where should the goalposts be?
- ► An advantage of the revisionist approach: it's sometimes well-motivated by an expressivist outlook, makes expressivism strong enough to be interesting.

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 - No. If you accept all the sentences in Γ, you should not reject all the sentences in Δ.

- It's useful to speak in terms of multiple-premise, multiple conclusion entailment:
- $ightharpoonup \Gamma \Gamma \vdash \Delta^{\neg} = \text{the sentences in } \Gamma \text{ entail the sentences in } \Delta$
- ▶ If all of the sentences in Γ are true, then at least one of the sentences in Δ must be true.
- ▶ What's the practical upshot?
 - Perhaps if you accept all the sentences in Γ , you should accept one of the sentences in Δ ?
 - No. If you accept all the sentences in Γ, you should not reject all the sentences in Δ.
- ▶ Using biforcated semantics, we can say you reject a sentence p iff you are FOR(¬pai(p)).



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- ▶ if p classically entails q, then pai(p) entails pai(q).

A Slight Adjustment to the Semantics

- ▶ Suppose that according to Schroeder's old semantics, sentence P expressed the attitude $\langle FOR(f_1(P)), FOR(f_2(P)) \rangle$.
 - 1. Put $f_1(P)$ in prenex form.
 - 2. Take the strongest Boolean combination of open sentences of the form pai(p) entailed by $f_1(P)$.
 - 3. In open sentence 2, delete every instance of 'pai', and put the resulting sentence in the scope of a 'pai'.
 - 4. Take all Boolean subsentences that appear in sentence 1.
 - 5. Of those 4s which are incompatible with sentence 1, see if any of them relevantly entails a moral sentence together with 1. For those that do, take a conditional with the Boolean combination as the antecedent and the strongest moral sentence so entailed as the consequent.
 - 6. Conjoin 3 with the 5s.
 - 7. Replace the quantifiers at the front, put the whole thing in the scope of a FOR, and you have your new major attitude.
 - 8. Repeat for $f_2(P)$.



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Basically supervaluationist (as far as non-moral sentences are concerned).

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- ▶ Different kinds of expressivist semantics aren't as different as they seem.
- ► There is more than one Frege-Geach problem, and not all the problems are of equal severity.
- Biforcated semantics has underutilized potential for making sense of non-classical logic (not just strong Kleene logic).